## Edge-Unfolding Nearly Flat Prismatoids

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A 3-Prismatoid $P$ is the convex hull of two convex polygons $A, B$ which lie in parallel planes $H, H^{\prime} \subset \mathbb{R}^{3}$, respectively. Let $A^{\prime}$ be the orthogonal projection of $A$ onto $H^{\prime}$. Extending techniques introduced by Joseph O'Rourke [1], we show that $P$ can be edge-unfolded if the boundaries of $A^{\prime}$ and $B$ intersect in at most two points and $P$ is sufficiently flat, that is, if the distance between $H$ and $H^{\prime}$ is sufficiently small. Both conditions can be relaxed by imposing structural constraints on $A$ and $B$.

## References

[1] J. O'Rourke, Edge-Unfolding Nearly Flat Convex Caps, 34th International Symposium on Computational Geometry (SoCG 2018), pp. 64:1-64:14.

